

IUPAC (C60-Ih) [5, 6] fullerene.

$$e^{i\phi} = \cos \phi + i \sin \phi$$

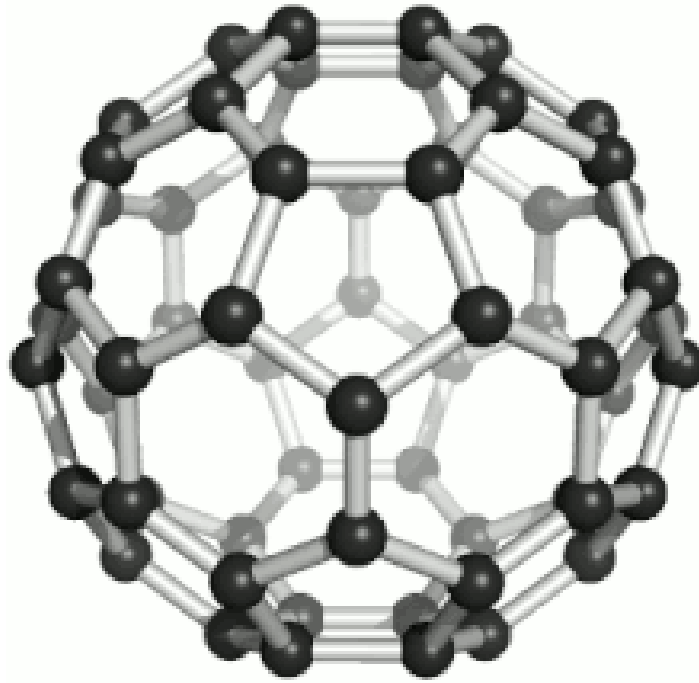
$$e^{i\pi} + 1 = 0 \quad \text{Eular's formula}$$



Richard Buckminster Fuller

$$v = c_1 \int \frac{\sqrt{1 + [g'(u)]^2} \, du}{g(u) \sqrt{[g(u)]^2 - c_1^2}}.$$

Geodesic equation



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$$\tau_{\max} = \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

Principle sheer stress

The 2015 National Security Strategy and Strategic Defence and Security Review

$Y = f(K,L)$ *Production function*



TEAM TEMPEST

 **ROYAL
AIRFORCE**
Rapid Capabilities
Office

BAE SYSTEMS



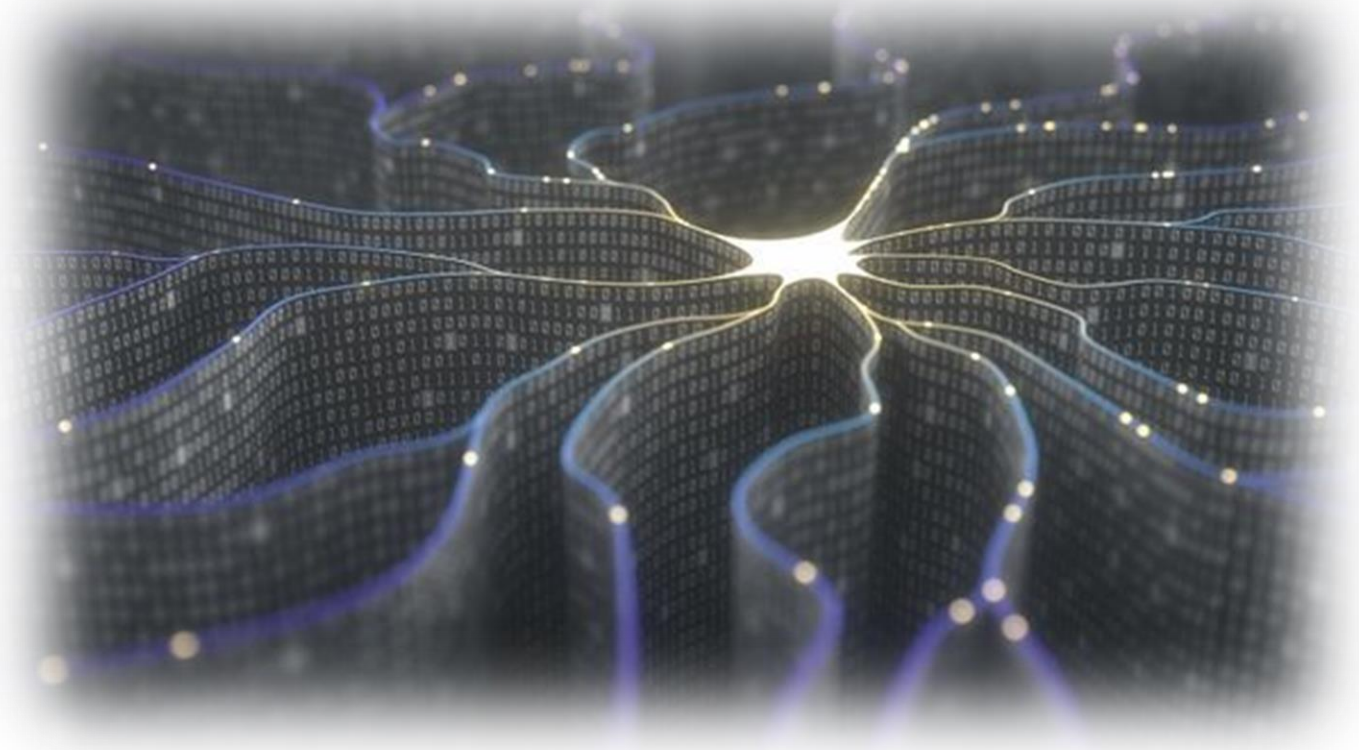
 **LEONARDO**

MBDA
MISSILE SYSTEMS

$$i\hbar \frac{\partial}{\partial t} \Psi(\mathbf{r}, t) = \left[\frac{-\hbar^2}{2\mu} \nabla^2 + V(\mathbf{r}, t) \right] \Psi(\mathbf{r}, t)$$

Schrödinger equation

Progression



$$V(s) = \max_a \left(R(s, a) + \gamma \sum_{s'} P(s, a, s') V(s') \right)$$

Bellman equation