

PROBABILITY
YEARS 9 AND 10

THE FOLLOWING 4 QUESTIONS REFER TO THE INFORMATION BELOW:

C H O C O L A T E

The word "chocolate" was written on cards, and the cards were then shuffled. A student, who was blindfolded, then selected one card at random.

- 1 The probability that the card was a C was:

A 0.2 B $\frac{1}{7}$ C $\frac{2}{9}$ D 2
- 2 The probability that the card was a vowel was:

A $\frac{4}{9}$ B $\frac{3}{7}$ C $\frac{1}{2}$ D 4
- 3 The probability that the card was not a D was:

A 9 B 7 C 1 D 0
- 4 The probability that the card was a letter from the word JELLY BEAN was:

A 3 B $\frac{4}{9}$ C $\frac{1}{3}$ D $\frac{5}{9}$
- 5 A fair die, with numbers 1 to 6 on it, was tossed. The probability that the uppermost side was a multiple of 3 was:

A $\frac{1}{3}$ B $\frac{1}{6}$ C 1 D 2
- 6 Two students went to a lolly factory where they saw the production line for making jelly "worms". In the production line, 5% were rejected because they were too flattened by the rollers or had other faults. If 100 snakes were taken at random from the production line, then *the most accurate prediction* we can make is:


A Exactly 5 will have been rejects.
 B There could not have been more than 5 rejects.
 C There could have been any number of rejects amongst the 100.
 D If there were repeated batches of 100 worms removed, on average 5 out of each batch would have been rejects.

- 7 A scientist collected 100 European wasps in a trap. She informed a student that in this sample, if he removes one of the wasps at random, the probability of it being a female is one. The most reasonable conclusion which the student can draw is:

A All of the wasps in the jar are males.
 B 99 of the wasps are male and the first wasp is female.
 C None of the wasps in the jar are males.
 D He can only catch a female, because the male wasps in the jar fly too quickly to be caught.
- 8 A spinner with number 1 to 7 was spun twice in a row. The first time it landed on an even number. The probability of it landing on an even number for the second spin was:

A $\frac{1}{4}$ B $\frac{3}{7}$ C $\frac{4}{7}$ D $\frac{1}{2}$
- 9 Assuming that the probability of having a boy is $\frac{1}{2}$ in any given childbirth, the probability of having 2 boys in a row is:

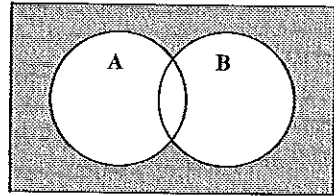
A 1 B $\frac{1}{2}$ C $\frac{1}{4}$ D $\frac{1}{8}$
- 10 In a set of 30 students:
 - 20 studied Art
 - 15 studied Drama
 - 4 studied neither Art nor Drama
 If a student was selected at random, the probability that the student studied both Art and Drama was:

A $\frac{13}{15}$ B $\frac{17}{30}$
 C $\frac{3}{10}$ D unable to be determined, because insufficient information is provided.
- 11 If two fair dice with 6 sides numbered 1 to 6 are tossed, the probability of getting "snakes eyes"  is:

A 1 B $\frac{1}{6}$ C $\frac{1}{3}$ D $\frac{1}{36}$
- 12 A box of marbles was set up so that the probability of getting a red marble is $\frac{3}{5}$. This means that:

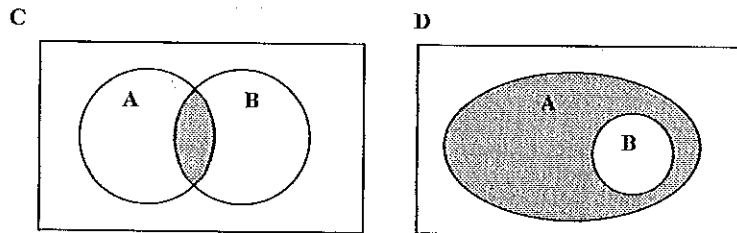
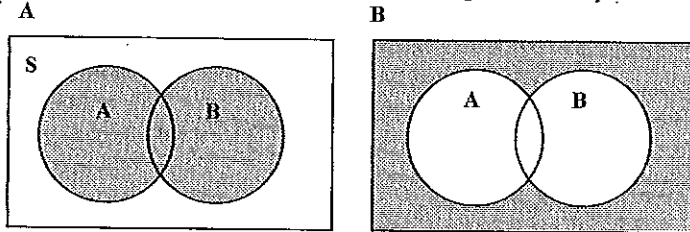
A There were exactly 5 marbles in the box, 3 of which were red.
 B Each time 5 marbles are removed from the box in a row, 3 of them will be red.
 C For every 3 red marbles in the box, there are 5 which are not red.
 D For every 5 marbles placed in the box, 3 were red.

13 In the following Venn Diagram, the region shaded is:



- A $(A \cup B)$ B $A \cap B$ C B D \bar{B}

14 In the following Venn Diagram, the shaded region which represents $A \cap B$ is:



- 15 If $A = \{1, 2, 3, \dots, 16\}$
and $B = \{x : x > 11\}$ where $B \subset A$, then $\Pr(B)$ equals:
A $\frac{5}{16}$ B $\frac{3}{8}$ C $\frac{11}{16}$ D 5

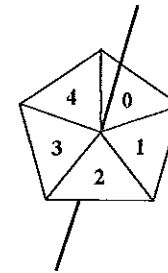
THE FOLLOWING 3 QUESTIONS REFER TO TWO OCTAGONAL DICE BEING TOSSED SIMULTANEOUSLY. EACH HAS NUMBER 1-8 ON IT.

- 16 The probability that their results add up to 14 is:
A $\frac{4}{64}$ B $\frac{14}{64}$ C $\frac{3}{8}$ D $\frac{3}{64}$
- 17 The probability that the two numbers are different is:
A $\frac{7}{64}$ B $\frac{3}{4}$
C $\frac{7}{8}$ D unable to be determined.

- 18 The probability that each of the numbers is a multiple of 5 is:
A $\frac{1}{64}$ B $\frac{5}{64}$ C $\frac{1}{32}$ D $\frac{1}{5}$

- 19 If a fair die with 10 sides with numbers 1 to 10 on it is tossed 3 times in a row, the probability of getting three fives in a row is:
A $\frac{1}{2} \times \frac{1}{2} \times \frac{1}{2}$ B $\frac{1}{10} \times \frac{1}{10} \times \frac{1}{10}$
C $\frac{1}{10} + \frac{1}{10} + \frac{1}{10}$ D 555

THE FOLLOWING 5 QUESTIONS REFER TO THE INFORMATION BELOW.



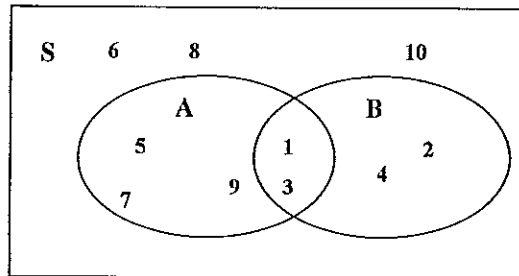
A 5-sided spinner with numbers 0 to 4 is spun twice, and the results are recorded in a table like that shown below.

Outcome of 1st spin	Outcome of 2nd spin	Total of 2 spins
2	3	5

- 20 The probability that the outcome of the 2nd spin is zero is:
A 0 B $\frac{1}{4}$
C $\frac{1}{5}$ D dependent on the result of the first spin
- 21 The probability of getting two zeros in a row is:
A 0 B $\frac{1}{10}$ C $\frac{2}{5}$ D $\frac{1}{25}$
- 22 The probability of getting two odd numbers in a row is:
A $\frac{1}{2}$ B $\frac{1}{5}$ C $\frac{4}{5}$ D $\frac{4}{25}$
- 23 The probability of getting a total of 5 over the two spins is:
A $\frac{1}{25}$ B $\frac{2}{25}$ C $\frac{4}{25}$ D $\frac{4}{5}$

- 24 The probability of getting a 1 on the 1st spin and any number except 1 on the 2nd spin is:
 A 0 B $\frac{1}{25}$ C $\frac{4}{25}$ D 1
- 25 Teenagers in a certain City were surveyed and it was found that about 2 teenagers in 3 liked Elton John. If you went to a school of 600 teenagers in that City, and asked them if they liked Elton John, you might expect:
 A about 400 of the students to say they like him.
 B exactly 400 of the students to say they like him.
 C at least 400 of the students to say they like him.
 D at least half of them to definitely like him.

THE FOLLOWING 3 QUESTIONS REFER TO THE VENN DIAGRAM BELOW.
 There are 10 numbers, arranged as shown. The numbers are written on cards, and shuffled and one card is selected.



- 26 $\Pr(\bar{B})$ is equal to:
 A $\frac{2}{5}$ B $\frac{3}{5}$ C $\frac{3}{10}$ D $\frac{1}{5}$
- 27 $\Pr(A \cup \bar{B})$ is equal to:
 A $\frac{4}{5}$ B $\frac{3}{5}$ C $\frac{2}{5}$ D $\frac{1}{5}$
- 28 $\Pr(A \cap B)$ is equal to:
 A $\frac{4}{5}$ B $\frac{3}{5}$ C $\frac{2}{5}$ D $\frac{1}{5}$
- 29 In a class of 20 girls in a certain school, the probability of having long hair is $\frac{7}{10}$, of having pierced ears is $\frac{1}{4}$ and of walking to school is $\frac{1}{5}$. If one girl is selected at random, by someone who is blindfolded, what is the probability that she walks to school, has short hair and has pierced ears.
 A $\frac{1}{5} + \frac{3}{10} + \frac{1}{4}$ B $\frac{1}{5} + \frac{7}{10} + \frac{1}{4}$
 C $\frac{3}{10} \times \frac{1}{4} \times \frac{1}{5} \times 3$ D $\frac{3}{10} \times \frac{1}{4} \times \frac{1}{5}$

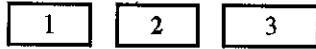
- 30 The probability of a certainty is:
 A 0 B $\frac{1}{2}$ C 1 D infinity
- 31 If a mother has 3 babies in a row, and we assume that she is equally likely to have a girl or a boy in any given birth, the probability she has at least one girl is:
 A $\frac{1}{2}$ B $\frac{1}{8}$ C $\frac{3}{8}$ D $\frac{7}{8}$
- 32 A bag of sweets contains 4 chocolates and 8 toffees. If a student takes 2 sweets out at random without replacing either, the probability that these 2 sweets were both chocolates is:
 A $\frac{4}{12}$ B $\frac{4}{12} + \frac{3}{11}$
 C $\frac{4}{12} \times \frac{3}{11}$ D $\frac{4}{12} \times \frac{3}{11} \times 2$
- 33 If a coin is tossed 7 times, the probability of getting tails 7 times in a row is:
 A $\frac{1}{7}$ B $\left(\frac{1}{2}\right)^7$ C $\frac{1}{2} \times 7$ D 7

THE NEXT 2 QUESTIONS REFER TO THE FOLLOWING INFORMATION.
 In a certain gambling game, the pack of cards used consists of 20 cards with numbers 1 to 20. The cards are shuffled and 4 players are each given 5 cards face down. Before looking at the cards, each player must predict what kind of numbers are present. If a player predicts correctly, the other 3 must give him or her \$5 each. If, on the other hand, the prediction is incorrect, he or she must give the others \$5 each.

- 34 In one round, Sue bets that all 5 cards in her hand are a number bigger than 10. The probability that she wins her \$15 is:
 A $\frac{1}{2}$ B $\left(\frac{1}{2}\right)^5$
 C $\frac{10}{20} \times \frac{9}{19} \times \frac{8}{18} \times \frac{7}{17} \times \frac{6}{16}$ D 5
- 35 Tim, on the other hand, bets that his hand does not include "the 20". The probability that he loses his bet is:
 A $\frac{1}{4}$ B $\frac{3}{4}$ C $\frac{1}{20}$ D $\frac{19}{20}$

THE NEXT 2 QUESTIONS REFER TO THE FOLLOWING INFORMATION.

Three children are selected by their Grade 1 teacher to hold up cards containing the first three counting numbers.



36 If the children line up in a random order, the probability that they line up in the correct order from 1 to 3 is:

- A $\frac{1}{6}$ B $\frac{1}{4}$ C $\frac{1}{3}$ D $\frac{1}{2}$

37 If the children line up randomly, the probability that the 2 odd numbers are next to each other is:

- A $\frac{2}{3}$ B $\frac{1}{2}$ C $\frac{1}{3}$ D $\frac{1}{6}$

THE NEXT 3 QUESTIONS REFER TO THE FOLLOWING INFORMATION.

Some marbles, numbered 0 to 44 inclusive, were placed in a barrel for a draw.

38 If one marble was taken out and found to be an odd number, the probability that the next was even, if the first was replaced was:

- A $\frac{22}{45}$ B $\frac{23}{44}$ C $\frac{3}{4}$ D $\frac{1}{2}$

39 If 5 marbles were removed without replacing them, and each was an odd number, the probability that the next marble to be removed was the zero was:

- A 0 B $\frac{1}{45}$ C $\frac{1}{40}$ D $\frac{1}{39}$

40 If 4 marbles were removed one by one and not replaced, the probability that they were 0 then 1 then 2 then 3 was:

- A $\frac{1}{45}$ B $\frac{4}{45}$
 C $\left(\frac{1}{45}\right)^4$ D $\frac{1}{45} \times \frac{1}{44} \times \frac{1}{43} \times \frac{1}{42}$

ANSWERS TO PROBABILITY

1	C	2	A	3	C	4	C	5	A	6	D
7	C	8	B	9	C	10	C	11	D	12	D
13	A	14	C	15	A	16	D	17	C	18	A
19	B	20	C	21	D	22	D	23	C	24	C
25	A	26	B	27	A	28	D	29	D	30	C
31	D	32	C	33	B	34	C	35	A	36	A
37	A	38	A	39	C	40	D				