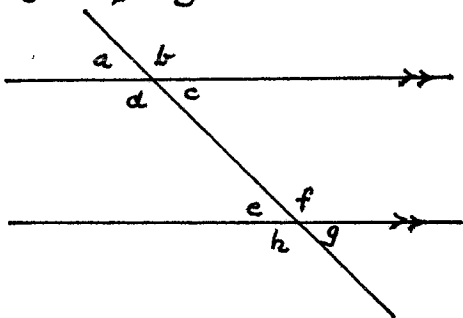


QUESTION 1 :- (10 marks)

Fill in the blank with an appropriate term from this list.

PERPENDICULAR, COLLINEAR, OBTUSE, CORRESPONDING, CO-INTERIOR, ALTERNATE, SUPPLEMENTARY, ADJACENT, CONCURRENT, BISECTOR, INTERSECTING, COMPLEMENTARY, PARALLEL, ISOSCELES, EQUILATERAL, ACUTE.

- (a) An \_\_\_\_\_ angle lies between  $90^\circ$  and  $180^\circ$ .
- (b) An \_\_\_\_\_ triangle has two equal sides.
- (c) Points that lie on the same straight line are called \_\_\_\_\_ points.
- (d) \_\_\_\_\_ angles add up to  $180^\circ$ .
- (e) Lines that pass through a common point are called \_\_\_\_\_ lines.
- (f) Two lines which meet at right angles are said to be \_\_\_\_\_ to one another.
- (g) A \_\_\_\_\_ of an angle divides the angle equally.



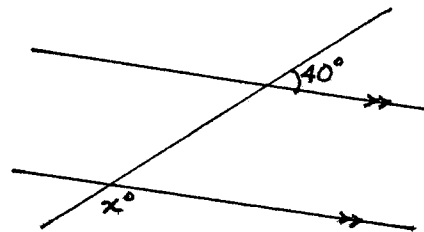
In the figure above,

- (h) Angles a and e are called \_\_\_\_\_ angles.
- (i) Angles c and f are called \_\_\_\_\_ angles.
- (j) Angles d and h are called \_\_\_\_\_ angles.

QUESTION 2 :- (10 marks)

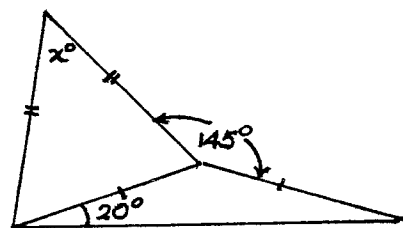
- (a) Find the sum of the interior angles of an Octagon.
- (b) If an interior angle of a regular polygon measures  $144^\circ$ , how many sides are there for the polygon?

(c)



Find the value of  $x$  (giving reasons)

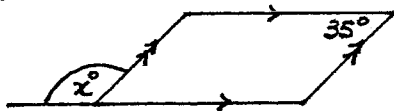
(d)



Find the value of  $x$  (without giving reasons)

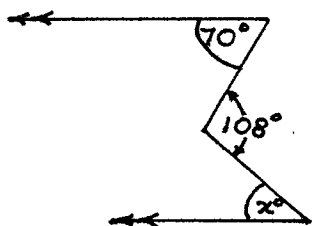
(2) (Cont'd)

(e)



Find  $x$  (giving reasons)

(f)



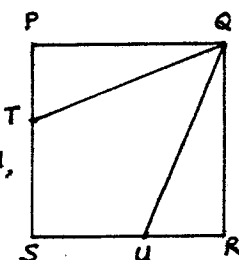
Find  $x^\circ$  (giving reasons)

QUESTION 3 :- (10 marks)

(a)

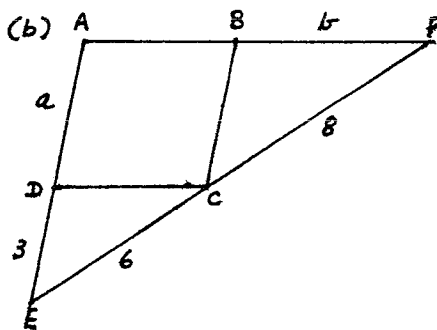
PQRS is a square.

If  $\hat{PQT} = \hat{RQU}$ ,



(i) Prove that  $\Delta$ s PQT, RQU are congruent.

(3)(a) (ii) Prove that  $ST = SU$



ABCD is a rhombus.  
 $AD = a$  cm,  $DE = 3$  cm,  
 $CE = 6$  cm,  $CF = 8$  cm,  $BF = b$  cm.  
 Calculate the values of  $a$  and  $b$ .

QUESTION 4: (6 marks)

(a) If  $f(x) = \frac{x+1}{x-1}$

Find

(i)  $f(0)$

(ii)  $f(-1)$

(iii)  $f(a+1)$

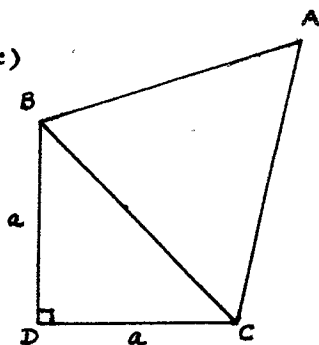
(b) Write down the natural domain of each of these functions

(i)  $y = \frac{x^2}{2x+1}$

(ii)  $y = 3\sqrt{5x-2}$

(iii)  $y = \sqrt{3-x} + \sqrt{x-1}$

(c)



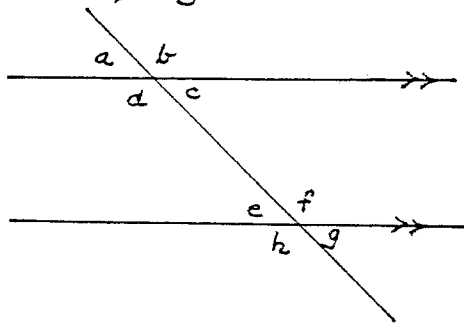
$\Delta$  ABC is equilateral and has a perimeter of  $30\sqrt{2}$  cm. Find the value of  $a$ .  
 (Hint: Use Pythagoras Theorem)

QUESTION 1 :- (10 marks)

Fill in the blank with an appropriate term from this list.

PERPENDICULAR, COLLINEAR, OBTUSE, CORRESPONDING, CO-INTERIOR, ALTERNATE, SUPPLEMENTARY, ADJACENT, CONCURRENT, BISECTOR, INTERSECTING, COMPLEMENTARY, PARALLEL, ISOSCELES, EQUILATERAL, ACUTE.

- (a) An OBTUSE angle lies between  $90^\circ$  and  $180^\circ$ .
- (b) An ISOSCELES triangle has two equal sides.
- (c) Points that lie on the same straight line are called COLLINEAR points.
- (d) SUPPLEMENTARY angles add up to  $180^\circ$ .
- (e) Lines that pass through a common point are called CONCURRENT lines.
- (f) Two lines which meet at right angles are said to be PERPENDICULAR to one another.
- (g) A BISECTOR of an angle divides the angle equally.



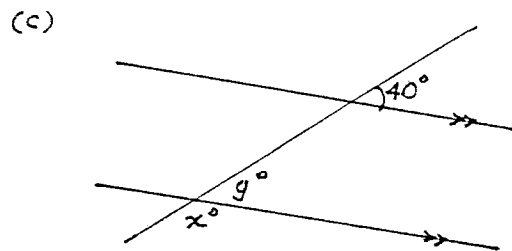
In the figure above,

- (h) Angles a and e are called CORRESPONDING angles.
- (i) Angles c and f are called CO-INTERIOR angles.
- (j) Angles d and h are called ALTERNATE angles.

QUESTION 2 :- (10 marks)

- (a) Find the sum of the interior angles of an Octagon.  

$$\begin{aligned} \text{Sum} &= (2n-4) \times 90^\circ \\ &= (2 \times 8 - 4) \times 90^\circ \\ &= 1080^\circ \end{aligned}$$
- (b) If an interior angle of a regular polygon measures  $144^\circ$ , how many sides are there for the polygon?  
 Sum of the exterior angles of an n-sided polygon =  $360^\circ$   
 $\therefore 36 \times n = 360$   
 $\therefore n = 10$  sides



Find the value of x (giving reasons):

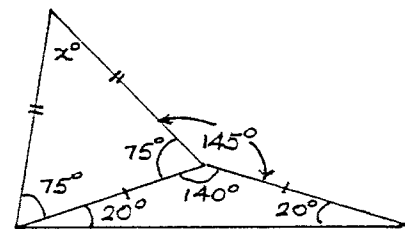
$$y^\circ = 40^\circ \text{ (Corresponding } \angle\text{s)}$$

$$\text{But } x + y = 180 \text{ (Straight line)}$$

$$\therefore x + 40 = 180$$

$$\therefore x = 140$$

(d)



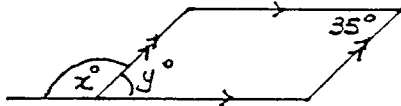
Find the value of x (without giving reasons)

$$x + 150 = 180$$

$$\therefore x = 30$$

(2) (Cont'd)

(e)



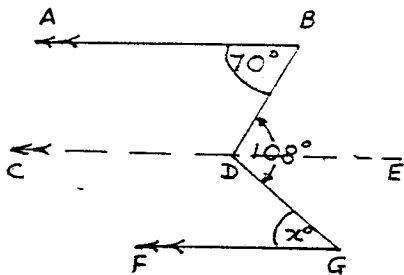
Find  $x$  (giving reasons)

$y = 35$  (Opp.  $\angle$ s of   
 ||ogram)

$\therefore x + 35 = 180$  (Straight   
 line)

$\therefore x = 145$

(f)



Find  $x^\circ$  (giving reasons)

Draw  $CE \parallel AB \parallel FG$

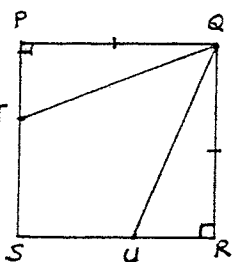
$\therefore \angle BDE = 70^\circ$  (Alt.  $\angle$ s  $AB \parallel CE$ )

$\therefore \angle EDG = 38^\circ$

$\therefore x = 38$  (Alt.  $\angle$ s  $CE \parallel FG$ )

QUESTION 3 :- (10 marks)

(a)



PQRS is a   
 square.   
 IF  $\hat{PQT} = \hat{RQU}$ ,

(i) Prove that  $\Delta$ s PQT, RQU   
 are congruent.

In  $\Delta$ s PQT, RQU

$PQ = RQ$  (Sides of square)

$\angle QPT = \angle QRU$  ( $\angle$ s of a   
 square)   
  $= 90^\circ$

$\angle PQT = \angle RQU$  (Data)

$\therefore \Delta PQT \equiv \Delta RQU$  (AAS)

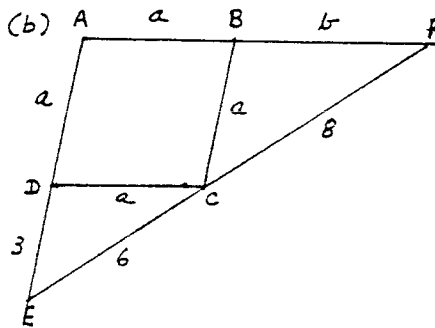
(3)(a) (ii) Prove that

$ST = SU$

Since  $PT = RU$  ( $\Delta PQT \equiv \Delta RQU$ )

$\therefore PS - PT = RS - RU$

$ST = SU$



ABCD is a rhombus.

$AD = a$  cm,  $DE = 3$  cm,   
  $CE = 6$  cm,  $CF = 8$  cm,  $BF = b$  cm

Calculate the values of   
  $a$  and  $b$ .

$AB = BC = DC = a$    
 (Sides of a rhombus)

Since  $\Delta FBC \parallel \Delta FAE$

then  $\frac{a}{a+3} = \frac{8}{14}$

$\therefore 14a = 8(a+3)$

$\therefore 6a = 24$

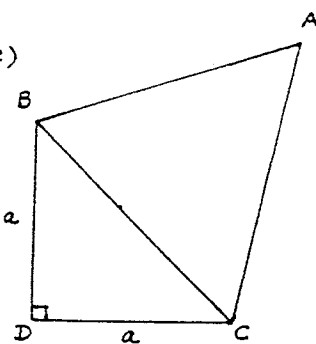
$a = 4$

Similarly,

$\frac{b}{a} = \frac{8}{6}$  (Intercept Thm)

$\therefore \frac{b}{4} = \frac{8}{6}$    
  $b = \frac{8}{6} \times 4 = \frac{16}{3}$

(c)



$\Delta ABC$  is equilateral and   
 has a perimeter of  $30\sqrt{2}$  cm.

Find the value of  $a$ .

(Hint: Use Pythagoras Theorem)

If ABC is equilateral, then

$BC = \frac{30\sqrt{2}}{3} = 10\sqrt{2}$

But  $BC^2 = a^2 + a^2$  (Pythagoras   
 Thm)

$= 2a^2$

$\therefore BC = \sqrt{2}a$

$\therefore 10\sqrt{2} = a\sqrt{2}$

$\therefore 10 = a$

$a = 10$

QUESTION 4: (6 marks)

(a) If  $f(x) = \frac{x+1}{x-1}$

Find

(i)  $f(0) = \frac{0+1}{0-1} = \underline{-1}$

(ii)  $f(-1) = \frac{-1+1}{-1-1} = \underline{0}$

(iii)  $f(a+1) = \frac{a+1+1}{a+1-1} = \underline{\frac{a+2}{a}}$

(b) Write down the natural   
 domain of each of these   
 functions

(i)  $y = \frac{x^2}{2x+1}$

$2x+1 \neq 0$

$2x \neq -1 \Rightarrow x \neq \underline{-\frac{1}{2}}$

(ii)  $y = 3\sqrt{5x-2}$

$5x-2 \geq 0$

$5x \geq 2 \Rightarrow x \geq \underline{\frac{2}{5}}$

(iii)  $y = \sqrt{3-x} + \sqrt{x-1}$

$3-x \geq 0$  and  $x-1 \geq 0$

$-x \geq -3$

$x \leq 3$  and  $x \geq 1$

$\therefore \underline{1 \leq x \leq 3}$