- 1. In triangle ABC AB = 7.2 cm BC = $9.6 \text{ cm} \angle ABC = 125^{\circ}$ Find its area.
- 2. In triangle XYZ y = 4.7 cm x = 8.3 cm $X = 140^{\circ}$. Find Y
- **3.** A triangle has edges measuring 3.6, 5.2 and 7.8 cm. Find the size of its greatest angle.
- **4.** Find the area of a triangle having two edges of 1.8 and 3.4 cm, when the angle between those two edges is

(i) 20° (ii) 160°

- **5.** Triangle ABC has \angle ABC = 115° AC = 7.63 cm BC = 3.8 cm. Find \angle ACB
- **6.** Triangle XYZ has \angle XYZ = 105° XY = 17.3 cm YZ = 26.4 cm. Find the length of XZ
- 7. A triangular field has hedge-lengths of 48, 55 and 87 metres. Find the size of the largest angle between two of the hedges. What is the area of the field?
- **8.** A rhombus has an edge-length of 3.5 cm and an obtuse interior vertex angle of 105°. Find its area.
- **9.** A parallelogram has a edges of 6.3 and 5.7 cm. Its area is 27.4 cm² What is the size of its obtuse interior vertex angle?
- **10.** A triangle LMN has LM = 6.3 cm LN = 5.8 cm $\angle LMN = 32^{\circ}$ Calculate the two possible sizes of $\angle LNM$
- The goal-posts in Association Fooball are 7.3 metres apart.A player situated 5 metres from one goal-post and 6 metres from the other is about to kick the ball at the goal.Calculate the size of the angle within which the ball must be kicked if a goal is to be scored.
- 12. Two ships leave the same harbour at the same time.

 One steams due North for 130 miles, the other on a course of 140° for a distance of 170 miles. How far apart are the two ships after this?
- 13. Two aeroplanes leave simultaneously from the same airport. One flies due East at a speed of 150 kilometres an hour; the other on a course of 250° at 170 kilometres an hour. Calculate how far apart the two planes are, 2 hours after leaving the airport.
- 14. A ship leaves port at noon on a course of 070° at a speed of 20 knots. A second ship leaves the same port at 13.30 moving at a speed of 30 knots and heading in the direction of 310°

 What distance apart will the two ships be at 16.15?

 (A knot is a speed of 1 nautical mile per hour.)

1. A = \frac{1}{2} \times 7.2 \times 9.6 \times \sin 125 \times V. Ye

= 28-3 cm² \(\ldp \right)

2. \(\text{Pro} \)

$$\frac{\sin y}{4.7} = \frac{\sin 140^{\circ}}{8.3}$$

$$\sin y = \frac{4.7 \sin 140^{\circ}}{8.3}$$

$$y = \sin^{-1} \frac{4.7 \sin 140^{\circ}}{8.3}$$

$$= 21^{\circ}21^{\circ} \text{ (nearest mis)}$$

3. Greatest angle exists opposite the largest side.

$$\cos x = \frac{3.6^2 + 5.2^2 - 7.8^2}{2 \times 3.6 \times 5.2} \sqrt{$$

= - 0.556 ---

cos" 0.556... = 56° 11' = 123° 49'

4.i) A= \frac{1}{2} \times 1.8 \times 3.4 \times \sin 20" = 1.0 cm 2/

ii) A= \frac{1}{2} \times 1.8 \times 3.4 \times \sin 160 = 1.0 cm/

5. B 115.

$$\frac{\sin 0}{3.8} = \frac{15^{\circ}}{7.63}$$

ZACB: 180°-115°-26'50' = 38°10' \

$$y^{2} = 26 - 4^{2} + 17.3^{2} - 2 \times 26.4 \times 17.32$$

$$\times \cos 105^{2}$$

$$= 1232 \cdot 665 - ...$$

$$y = 35 \cdot 1 \text{ cm } (ldp) \neq$$

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7. size of largest angle $\Rightarrow 0$ cos $0 = \frac{48^2 + 55^2 - 87^2}{2 \times 48 \times 55}$

0= 180°- 65°10' = 114° 50' (newest)

 $A = \frac{1}{2} \cdot 48 \times 55 \times \sin 114^{\circ} 50^{\circ} \sqrt{1197 \cdot 9m^{2}}$ (1dp)

8. A = 2 × ½ × 3.5 × 3.5 × sin 105 V = 11.8 cm² (1dp)

9. 27.4=2×2×6.3×5.7×sin O sin O= 1=26.0-763.

180° - 49° 44' = 130° 16' (rearest min)

$$\frac{10}{6.3}$$
 $\frac{\sin 0}{6.3} = \frac{\sin 32}{5.8}$

 $\sin 0 = \frac{63 \sin 32^{\circ}}{5.8}$

5. 5.m 0 6m

 $\cos\theta = \frac{6^2 + 5^2 = 7 - 3^2}{2 \times 5 \wedge 6} = 0.1285$

0 = 82° 37' (rearest min) V

130 X

$$2^{2} = 130^{2} + 170^{2} - 2 \times 130 \, 470 \times \cos 140$$

$$= \frac{34 + 59 + 64}{79659 \cdot 164}$$

$$x = \frac{184}{19} \frac{82}{19} \text{ mides } (2dp)$$

$$= 282 \cdot 24 \ (46 \ 2dp.)$$

