

NAME: _____

S.S.H.S. - Year 10 Assessment – June 02

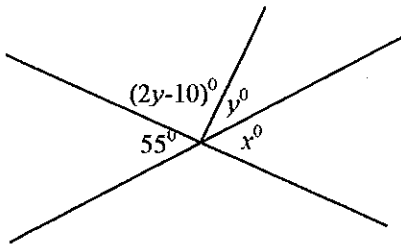
Plane Geometry

Time allowed: 1 Hour

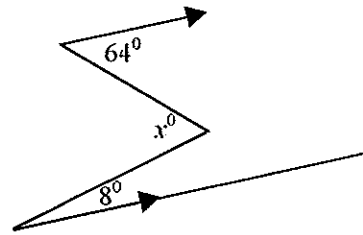
Answer the following in the given space. Show all necessary working.

1. Find the values of all pronumerals, giving reasons for your answers. (28 marks)

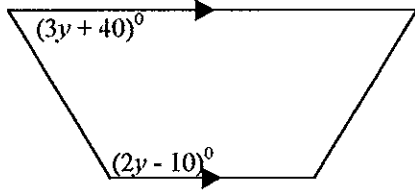
(a)



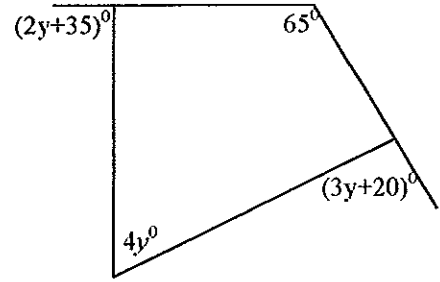
(b)



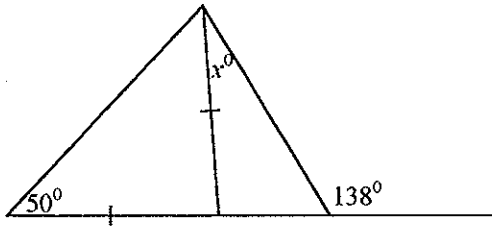
(c)



(d)



(e)



(f)

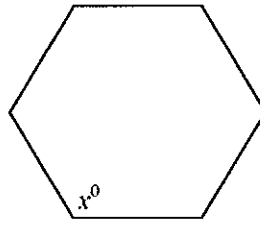
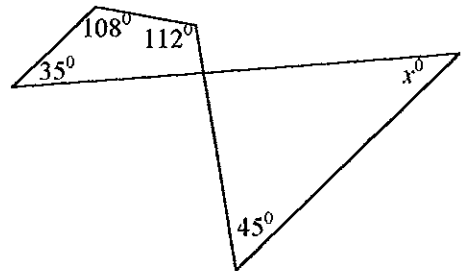


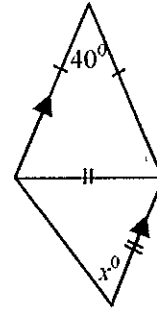
Figure shown is a regular hexagon.

(g)



- (h) If each interior angle of an n -sided polygon is 160° , find the value of n .

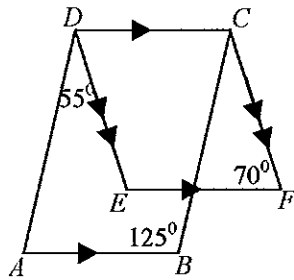
3. Find the value of x in the diagram below, giving reasons. (4 marks)



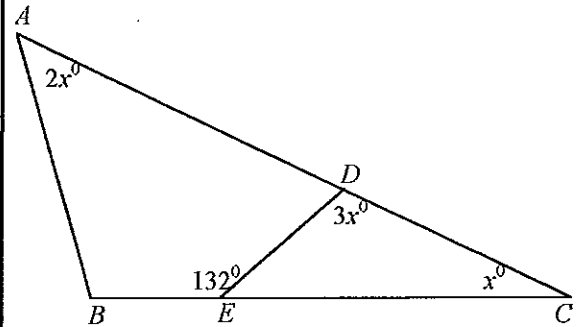
2. (a) Name **two** special properties of a rhombus which do not belong to a parallelogram. (2 marks)

- (b) Give **two** special properties of a parallelogram. (2 marks)

4. Given that $CDEF$ is a parallelogram, show that $ABCD$ is also a parallelogram. (5 marks)



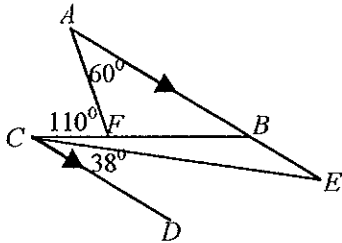
5. Use the information given in the diagram to find: (4 marks)



- (i) the value of x

- (ii) the size of $\angle ABE$

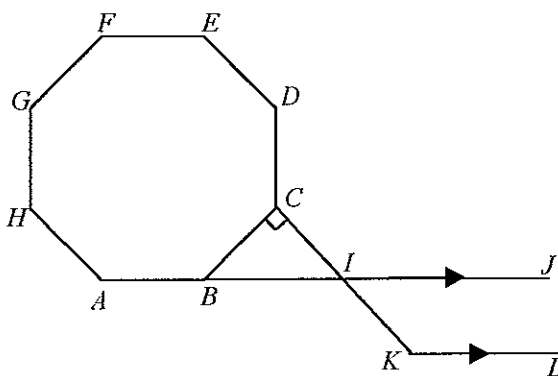
6. In the diagram below,
 $AB \parallel CD$, $\angle A = 60^\circ$, $\angle CFA = 110^\circ$
 $\angle DCE = 38^\circ$, find $\angle BCE$ giving
 reasons for your answers. (5 marks)



- (ii) Find the size of $\angle HAB$ giving reasons.

- (iii) Find the size of $\angle CBJ$ and hence the size of $\angle IKL$ giving reasons for your answers.

7. The figure below shows a regular polygon $ABCDEFGH$ and $BJ \parallel KL$. (8marks)



- (i) What is the name given to this regular polygon $ABCDEFGH$?

End of assessment.

100% Excellent effort!

NAME: Jeannie

S.S.H.S. - Year 10 Assessment - June 02

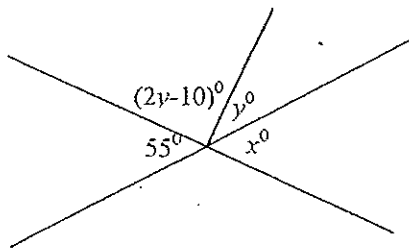
Plane Geometry

Time allowed: 1 Hour

Answer the following in the given space. Show all necessary working.

1. Find the values of all pronumerals, giving reasons for your answers. (28 marks)

(a)



$$55^\circ + (2y - 10)^\circ + y = 180 \text{ (adj } \angle\text{s on a st. line)}$$

$$55 + 2y - 10 + y = 180$$

$$3y = 135$$

$$y = 45 \checkmark$$

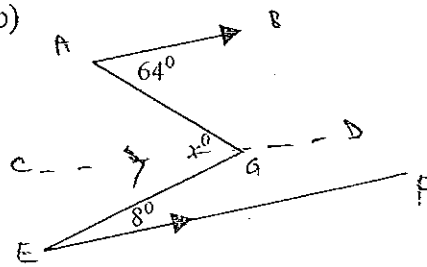
$$2y - 10 + y + x = 180 \text{ (adj } \angle\text{s on a st. line)}$$

$$y = 45 \text{ (proved)}$$

$$90 - 10 + 45 + x = 180$$

$$x = 55 \checkmark$$

(b)



Produce $CD \parallel AB \parallel EF$

$$\therefore \angle AGC = 64^\circ \text{ (alt } \angle\text{s, } AB \parallel CD)$$

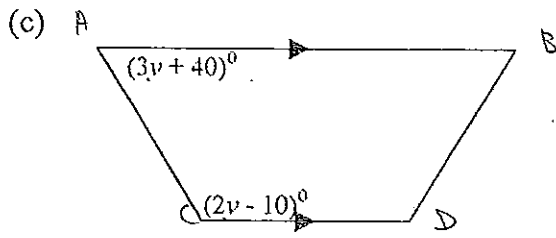
$$\angle CGE = 8^\circ \text{ (alt } \angle\text{s, } CD \parallel EF)$$

$$\therefore x = \angle AGC + \angle CGE$$

$$\therefore x = 8 + 64$$

$$= 72 \text{ } \checkmark$$

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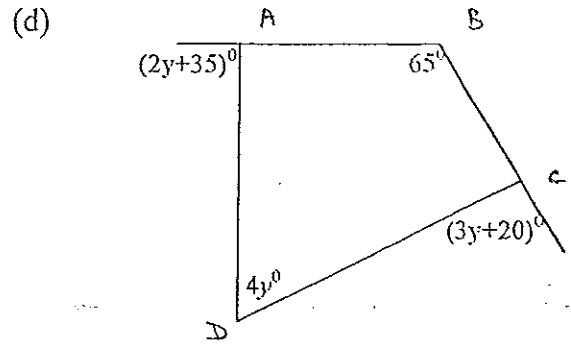
$\therefore AB \parallel CD$ (given)

$$\therefore 3x + 40 + 2x - 10 = 180 \text{ (co-int } \angle\text{s, } AB \parallel CD)$$

$$5x + 30 = 180$$

$$5x = 150$$

$$\therefore x = 30$$



$$\angle BAD = 180 - (2y + 35) \text{ (adj } \angle\text{s on a str line)}$$

$$\angle BAD = 145 - 2y$$

$$\angle BCD = 180 - (3y + 20) \text{ (adj } \angle\text{s on a str line)}$$

$$\angle BCD = 160 - 3y$$

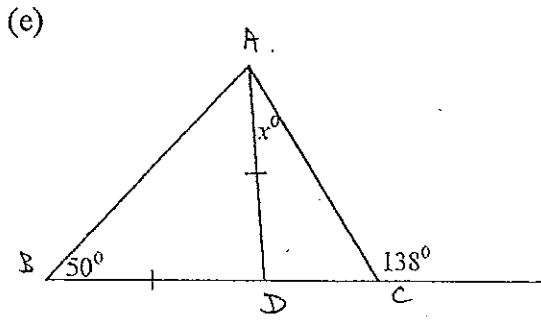
$$\begin{aligned} \therefore 65 + 4y + (145 - 2y) + (160 - 3y) \\ = (4 - 2) \times 180 \text{ (sum of int } \angle\text{s of quadrilateral)} \end{aligned}$$

$$\therefore 65 + 4y + 145 - 2y + 160 - 3y = 360$$

$$370 - y = 360$$

$$\therefore y = 10$$

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$$\begin{aligned} \therefore AD &= BD \text{ (given)} \\ \therefore \angle DBA &= \angle DAB = 50^\circ \text{ (isos. } \triangle) \\ \therefore \angle DBA + \angle DAB + \angle ADB &= 180^\circ \text{ (} \angle \text{ sum of } \triangle) \\ \therefore 50^\circ + 50^\circ + \angle ADB &= 180^\circ \\ \therefore \angle ADB &= 80^\circ \end{aligned}$$

$$\therefore \angle ADB + \angle ADC = 180^\circ \text{ (adj. } \angle \text{ s on a str. line)}$$

$$\therefore \angle ADC = 180^\circ - 80^\circ = 100^\circ$$

$$\angle ADC + x^\circ = 138^\circ \text{ (ext. } \angle \text{ s of } \triangle)$$

$$100^\circ + x^\circ = 138^\circ$$

$$\therefore x = 38^\circ$$

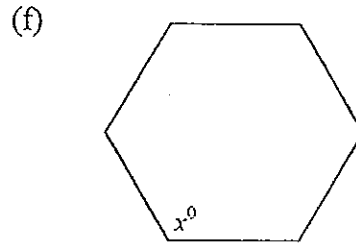
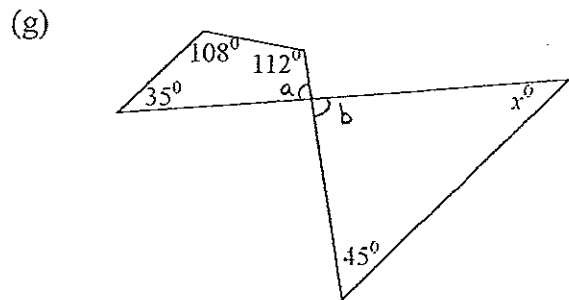


Figure shown is a regular hexagon.

$$6x = (6-2) \times 180^\circ \text{ (sum of int } \angle \text{ s of hexagon)}$$

$$6x = 720$$

$$\therefore x = 120^\circ$$



$$a + 108 + 112 + 35 = (4-2) \times 180^\circ \text{ (sum of int } \angle \text{ s of quadrilateral)}$$

$$a + 255 = 360$$

$$\therefore a = 105$$

$$\therefore b = 105 \text{ (vert. opp. } \angle \text{ s)}$$

$$\therefore b + 45 + x = 180 \text{ (} \angle \text{ sum of } \triangle)$$

$$\therefore x = 180 - 45 - b$$

$$= 30^\circ$$

- (h) If each interior angle of an n -sided polygon is 160° , find the value of n .

$$(n-2) \times 180 = 160n \quad (\text{sum of int. angles of polygon})$$

$$180n - 360 = 160n$$

$$20n = 360$$

$$\therefore n = 18$$

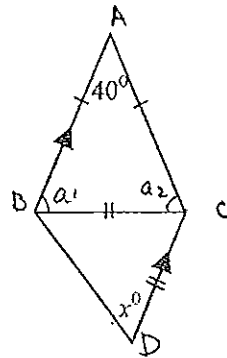
2. (a) Name two special properties of a rhombus which do not belong to a parallelogram. (2 marks)

- diagonals bisect each other
- diagonals bisect the vertex angles.

- (b) Give two special properties of a parallelogram. (2 marks)

- opp. \angle s are equal
- opp. sides are equal and \parallel

3. Find the value of x in the diagram below, giving reasons. (4 marks)



$$\therefore AB = AC \quad (\text{given})$$

$$a_1 = a_2 \quad (\text{isos. } \triangle)$$

$$40 + 2a = 180 \quad (\angle \text{ sum of } \triangle)$$

$$a = 70$$

$$\therefore a_1 = \angle CBD \quad (\text{alt } \angle \text{s, } AB \parallel CD)$$

$$CB = CD \quad (\text{given})$$

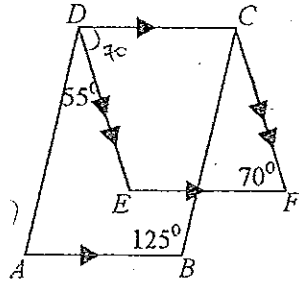
$$\therefore \angle CBD = x$$

$$\angle BCD + \angle CBD + \angle CDB = 180 \quad (\angle \text{ sum of } \triangle)$$

$$70 + 2x = 180$$

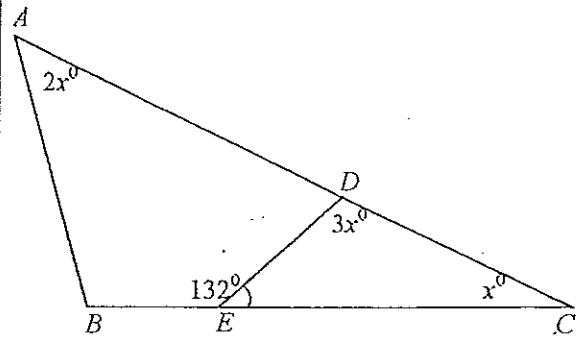
$$\therefore x = 55$$

4. Given that $CDEF$ is a parallelogram, show that $ABCD$ is also a parallelogram. (5 marks)



- $\therefore CDEF$ is a \parallel gram
 $\therefore \angle CDE = 70$ (opp \angle s are equal)
 $\therefore \angle ADC = 55 + 70$
 $= 125$ ✓
 $\therefore \angle ADC = \angle ABC = 125$
 $\therefore DC \parallel AB$ (given) ✓
 $\therefore \angle DCB + 125 = 180$ (co-int
 \angle , $DC \parallel AB$)
 $\therefore \angle DCB = 55$ ✓
 $\angle DAB + \angle ADC = 180$ (co-int
 \angle , $DC \parallel AB$)
 $\therefore \angle DAB + 125 = 180$
 $\therefore \angle DAB = 55$ ✓
 $\therefore \angle DAB = \angle DCB$
 $\therefore ABCD$ is a \parallel gram "

5. Use the information given in the diagram to find: (4 marks)



- (i) the value of x

$$132 + \angle DEC = 180 \text{ (adj } \angle\text{s on a st. lin)}$$

$$\therefore \angle DEC = 48$$

$$\therefore 48 + 3x + x = 180 \text{ (sum of } \Delta)$$

$$4x = 132$$

$$\therefore x = 33$$
 ✓

- (ii) the size of $\angle ABE$

$$\therefore \angle ABE + 2x + x = 180 \text{ (sum of } \Delta)$$

$$x = 33 \text{ (proved in i)}$$

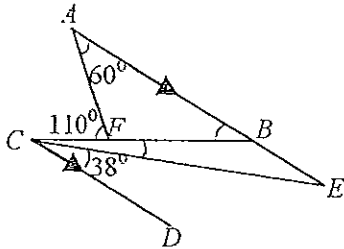
$$\angle ABE + 3x = 180$$

$$\angle ABE + 99 = 180$$

$$\therefore \angle ABE = 81$$
 "

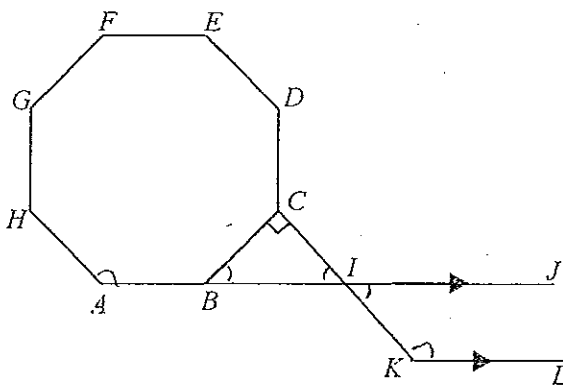
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6. In the diagram below,
 $AB \parallel CD$, $\angle A = 60^\circ$, $\angle CFA = 110^\circ$
 $\angle DCE = 38^\circ$, find $\angle BCE$ giving
 reasons for your answers. (5 marks)



$$\begin{aligned} 60 + \angle ABF &= 110 \text{ (ext } \angle \text{ of } \triangle) \\ \therefore \angle ABF &= 50 \\ \therefore \angle ABF &= \angle BCD \text{ (alt } \angle \text{ s, } AB \parallel CD) \\ \therefore \angle BCD &= 50 \\ \therefore \angle BCE + \angle ECD &= \angle BCD \text{ (given)} \\ \therefore \angle BCE + 38 &= 50 \\ \therefore \angle BCE &= 12 \end{aligned}$$

7. The figure below shows a regular polygon $ABCDEFGH$ and $BJ \parallel KL$. (8marks)



- (i) What is the name given to this regular polygon $ABCDEFGH$?

Octagon ✓

- (ii) Find the size of $\angle HAB$ giving reasons.

$$(8-2) \times 180^\circ = 1080 \text{ (sum of int } \angle \text{ s of the polygon)}$$

$$\begin{aligned} \therefore \angle HAB &= 1080 \div 8 \\ &= 135^\circ \end{aligned}$$

- (iii) Find the size of $\angle CBJ$ and hence the size of $\angle IKL$ giving reasons for your answers.

∴ it is a regular polygon

$$\therefore \angle HAB = \angle ABC = 135$$

$$135 + \angle CBJ = 180 \text{ (adj } \angle \text{ s on a st. line)}$$

$$\therefore \angle CBJ = 45$$

$$45 + 90 + \angle CIB = 180 \text{ (} \angle \text{ s sum of } \triangle)$$

$$\therefore \angle CIB = 45$$

$$\angle JIK = \angle CIB = 45 \text{ (vert. opp. } \angle \text{ s)}$$

$$\therefore \angle JIK + \angle IKL = 180 \text{ (co-int } \angle \text{ s } \angle J \parallel KL)$$

$$45 + \angle IKL = 180$$

$$\therefore \angle IKL = 135$$

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End of assessment.