

The word "Geometry" means "Earth Measure".

'<u>Plane geometry'</u> deals with the study of 2-dimensional (flat) figures. It deals with all of the properties and measurements associated with them. We study their shapes and sizes, and calculate lengths, angles and areas.

This section will also cover measurements for 3 dimensional figures (solids).

## Geometric Terms and Figures:

A point, P, has only position and has NO size.

An interval, AB, is the shortest path between 2 points A and B.

A ray . AB, is an interval extended infinitely in one direction.

A <u>line</u>, AB, is an interval extended infinitely in both directions.

A plane is a 2-Dimensional "flat" figure, which has an area.

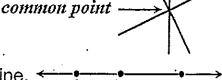
A solid is a 3-Dimensional object, which has a volume.

An <u>angle</u> ∠ABC is formed when an interval is rotated about one end.

- the rays BA and BC are called the "arms" of the angle.

Two or more lines are said to be <u>concurrent</u> if they <u>intersect</u> (meet) at the one common point.

Points are said to be *collinear* if they are on the same line.



CTA Publications

## ypes of Lines:

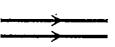
<u>'ertical</u> and <u>horizontal</u> lines:

vertical line

horizontal line

'erpendicular lines – lines which meet at right angles (90°).

<u>arallel lines</u> – lines which head in the same direction. Co-planar lines which never meet.



Il measurements require a "<u>unit of measurement</u>" associated with them. or angles this is called the "degree" – 360° (degrees) make one *revolution*.

# vpes of Angles:

n <u>acute angle</u> – is an angle less than 90°.

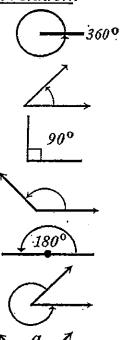
*right angle* – is a quarter of a revolution. ie 90°.

n <u>obtuse angle</u> – is an angle between 90° and 180°.

straight angle – is half of a revolution. So it is 180°.

reflex angle – is any angle between 180° and 360°.

diacent angles - angles that are "next to" each other.

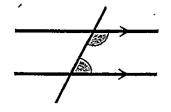


<u>omplementary angles</u> – add up to 90°. <u>Supplementary angles</u> – add up to 180°.

## ertically Opposite Angles are Equal



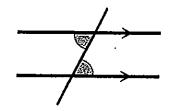
<u>>-interior Angles</u> are Supplementary



Corresponding Angles are Equal

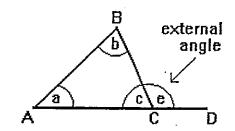


Alternate Angles are Equal



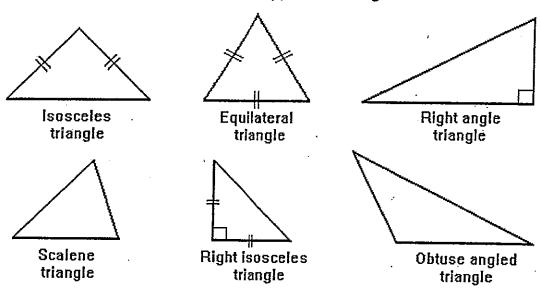
## PLANE FIGURES

## **TRIANGLES**

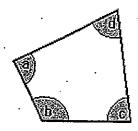


a+b+c=180°

- Any three sided *closed* plane figure is called a <u>triangle</u>.
   ("tri" means "three" and thus "3 angles")
- ♦ The <u>angle-sum</u> of all triangles is 180°.
- ♦ The 3 angles formed inside a triangle are called *internal angles*.
- ♦ Any angle formed outside a triangle is called an <u>external angle</u>.
- There are a number of different types of triangles:-



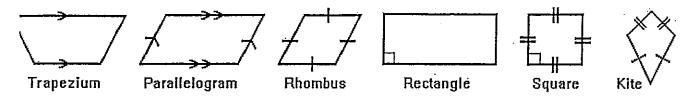
## **QUADRILATERALS**



a+b+c+d = 360°

- Any four sided closed plane figure is called a <u>quadrilateral</u>.
   ("quad" means "four" and "lateral" means "sides")
- ♦ The <u>angle-sum</u> of all quadrilaterals is 360°.
- There are a number of different types of quadrilaterals:-

## ypes of Quadrilaterals:



A <u>trapezium</u> has only one pair of parallel sides.

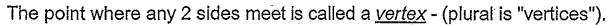
A parallelogram has 2 pairs of opposite sides parallel.

A rhombus has all 4 sides equal.

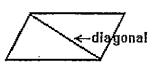
A rectangle has 2 pairs of parallel sides and a right angle.

A square has 4 sides equal and a right angle.

A kite has 2 pairs of adjacent sides equal.



A diagonal is any line that joins 2 vertices on opposite sides of the figure.



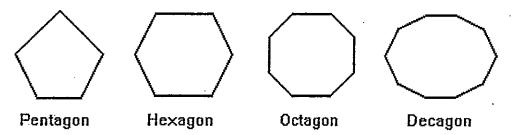
#### **OLYGONS**

I plane figures made up of straight lines are called "polygons".

As the number of sides (intervals) varies so do their names.

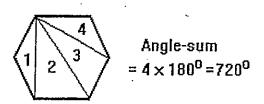
If the polygon is a closed plane figure and all the sides and angles are equal, then it is called a *regular polygon*.

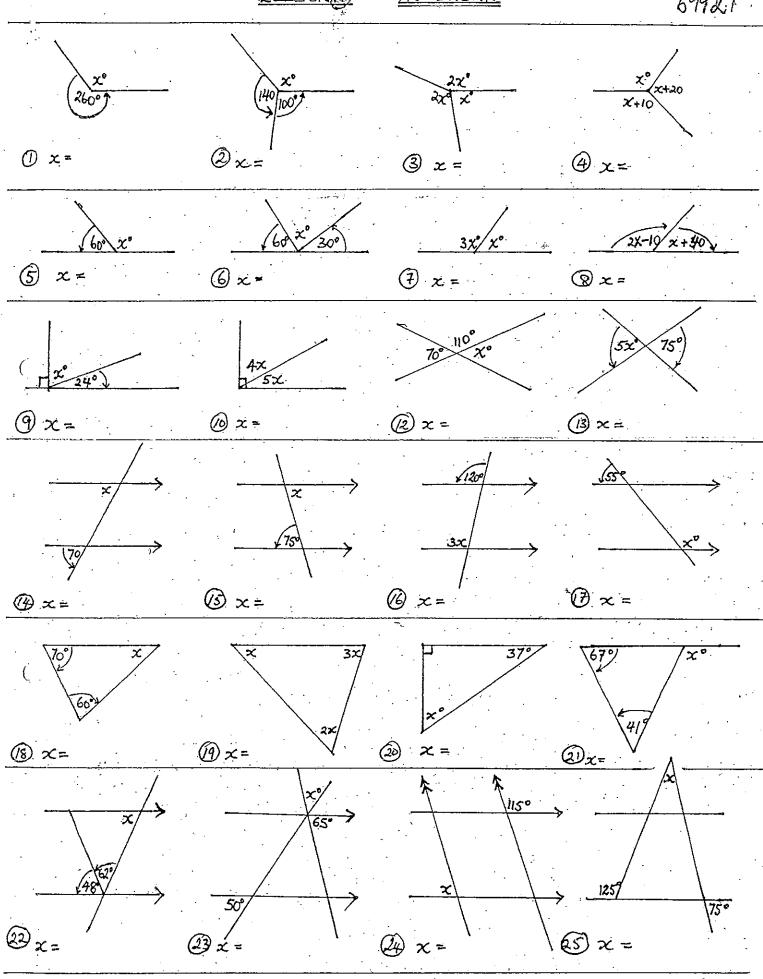
Some common polygons and their names are shown below:



To calculate the sum of the internal angles of any polygon, join one vertex to all other vertices of the polygon, forming a number of triangles.

The angle-sum of the polygon then =  $180^{\circ}$  × the number of triangles formed.

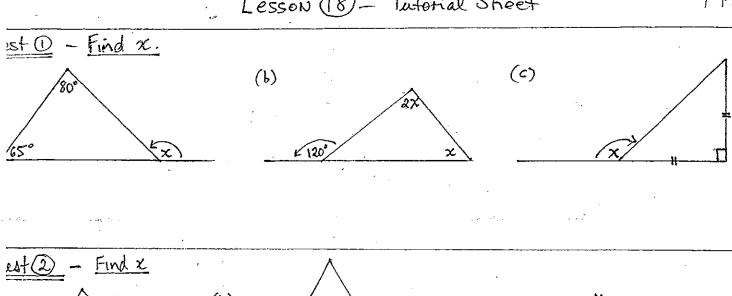


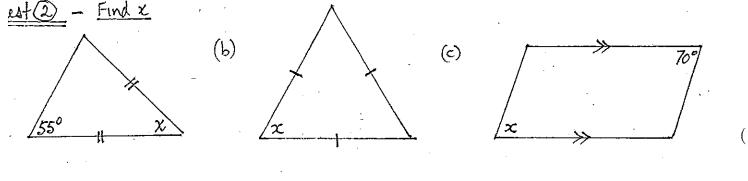


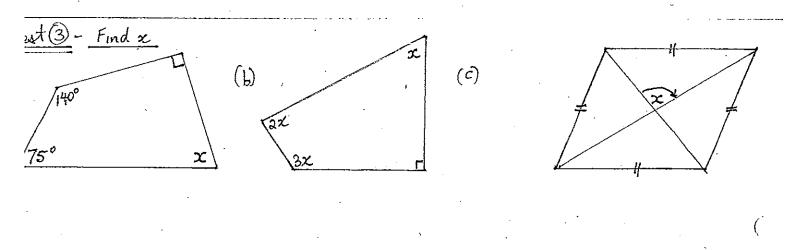
ANSWERS
FIND X in all the above diagrams

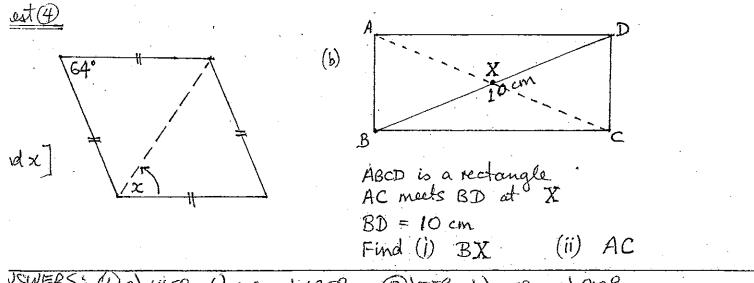
1000 @ 1200 @ 720 @ 1100 @ 1200 @ 900 @ 450 @ 500 @ 660 100 @ 700 @ 150

1000 (5) 750 (6) 400 (7) 1250 (8) 50 (9) 300 (20) 530 (6) 1080 (2) 700 (23) 650 (24) 650 (25) 500









JSWERS: (1) a) 1450 b) 400 c) 1350 (3)550 b) 450 c) 900 (D) a) 70° b) 60° c) 70° (4 a) 58° b)(i) 50m (ii) 10cm.

WORKSHEET

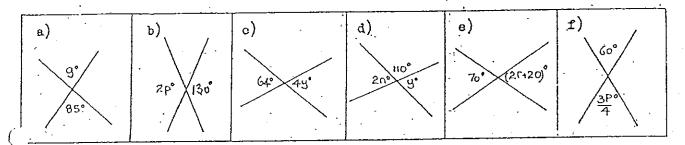
Find the value of the pronumeral in the diagrams below:

Example	P° \125°	b) 3m° 60°	o)
$2m + 4m^{\circ} 36^{\circ}$ $2m + 4m + 36 = 180$	d) 35, 6, 140°	96° /2W°	f) 45°
6m+36 = 180 6m = 144 m = 24	g) (m+80) 55°	h) 48° (2m+40)°	1) (C-60)°

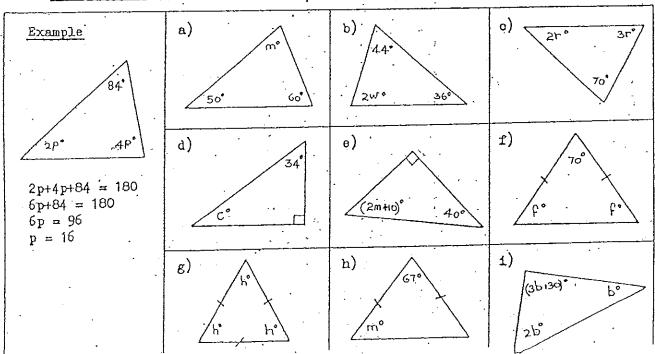
11-2 Angles at a Point - total 360° Find the value of the promumeral in each of the following:-

E	Example 3p° 80°/2p°	a) 150°.	b) 20 2m°.	o) y y y
5	2p+3p+80 = 360 5p+80 = 360 5p = 280 5p = 56	d) 540° 1	60° S° 40° 55° S°	f) 2w° 3w°

11-3 Vertically Opposite Angles - are equal. Determine the value of the pronumeral:

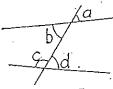


11-4 Angles in a Triangle: total 180° Find the value of the promimeral in each case:

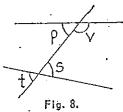


185° b) 65° c) 16° d) 70° L35° n e) 25° f) 80° [II-A] 70° b) 50° c) 22° d) 56° e) 20° f) 55° g) 60° d) 56.5° L) 30° [11-2] a) Theo b) 65° of 120° d) 440 e) 102.50 f) 25° NSMERS: 11-1 0) 550 B 40° C) 49° d) 105° e) 250 p) 450 g) 450 L) 46° L) 1050

#### X TRANSVERSALS.



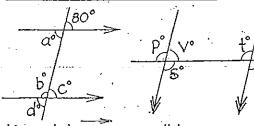




Place the appropriate pairs of letters opposite the name of the angles listed below.

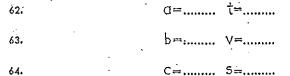
		Fig. 7	Fig. 8
57.	ALTERNATÉ	ond	and
	CORRESPONDING	ond	and
59.	CO-INTERIOR or ALLIED	ond	ond
6Ô.	VERTICALLY OPPOSITE	and	ond
		ouq	

#### XI PARALLEL LINES PROBLEMS.

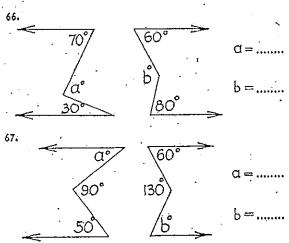


are parallel. Lines marked

Write down the value of each of the following angles.



In questions 66 to 72 write down the value of a and b.

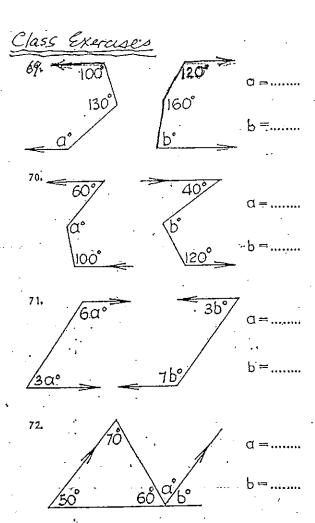


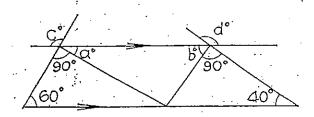
1000

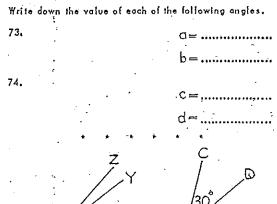
Į50°

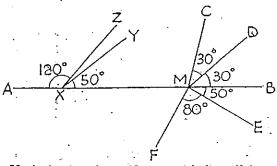
120

140°









75. In the above figure AB is a straight line. If the angles had been drawn accurately, which line would be parallel with

	XY	**************
•		
	ΧZ	